

Synthesis via Tactics

George Stelle

Los Alamos National Laboratory

Definition synthesis

(specLang progLang : Type)

(proof : progLang → specLang → Prop) :=

$\forall s:\text{specLang}, \{p:\text{progLang} \mid \text{proof } p \ s\}.$

Definition synthesis

(specLang progLang : Type)

(proof : progLang → specLang → Prop) :=

∀ s:specLang, {p:progLang | proof p s}.

Definition synthesis_via_tactics :=

synthesis coqTerm coqTerm coqTypeJudgement

Definition gcd : $\forall x y,$
 $\{ d \mid (d \mid x) \wedge (d \mid y) \wedge$
 $(\forall d', (d' \mid x) \wedge (d' \mid y) \rightarrow d' \leq d) \}.$

Definition synthesis :

$\forall \text{ spec} : \text{Type}, \text{spec}.$

Definition decidable_synthesis :

$\forall \text{ spec} : \text{Type}, \text{spec} \vee \neg \text{spec}.$

Definition partial_synthesis :

$\forall \text{ spec} : \text{Type}, \text{option spec}.$

"So... what does the thinking?"

"You're not understanding, are you? The brain does the thinking. The meat."

"Thinking meat! You're asking me to believe in thinking meat!"

-Terry Bisson

Lemma compose_and : $\forall a b c d : \text{Prop},$
 $(a \rightarrow c) \rightarrow (c \rightarrow d) \rightarrow (a \wedge b) \rightarrow d.$

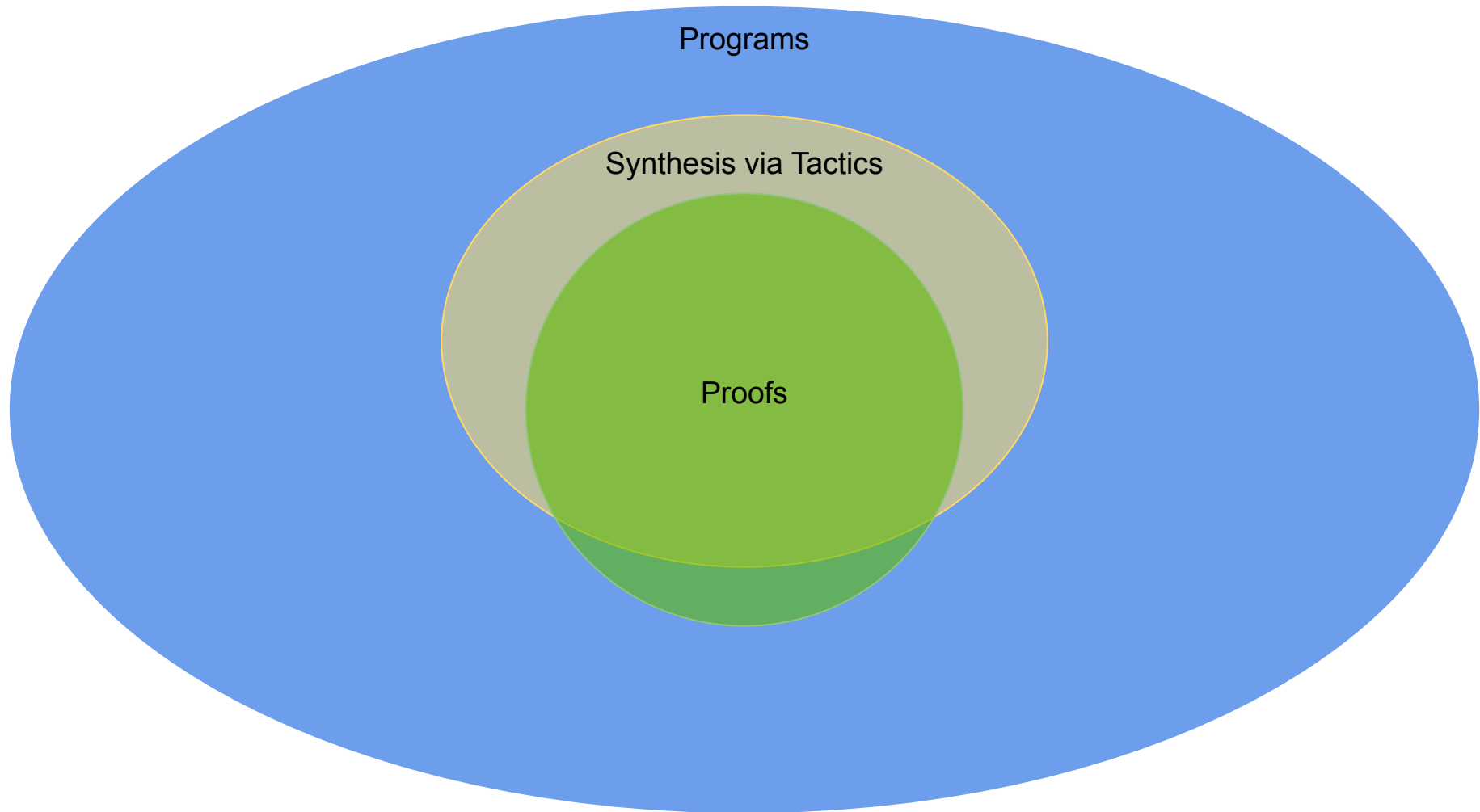
intuition.

Qed.

Definition compose_prod : $\forall a b c d : \text{Type},$
 $(a \rightarrow c) \rightarrow (c \rightarrow d) \rightarrow (a * b) \rightarrow d.$

intuition.

Defined.



Programs

Synthesis via Tactics

Proofs



```
Require Import PolikarpovaTactics.  
From SMTCoq Require Import SMTCoq.
```

```
Ltac HotNewSynthesis x :=  
  repeat match goal with =>  
    | SeparationLogic _ _ => separationLogicSynthesis  
    | SAT _ => smt  
    ...  
  end.
```

<https://coq.inria.fr/>